



**Barcelona
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Centro Nacional de Supercomputación

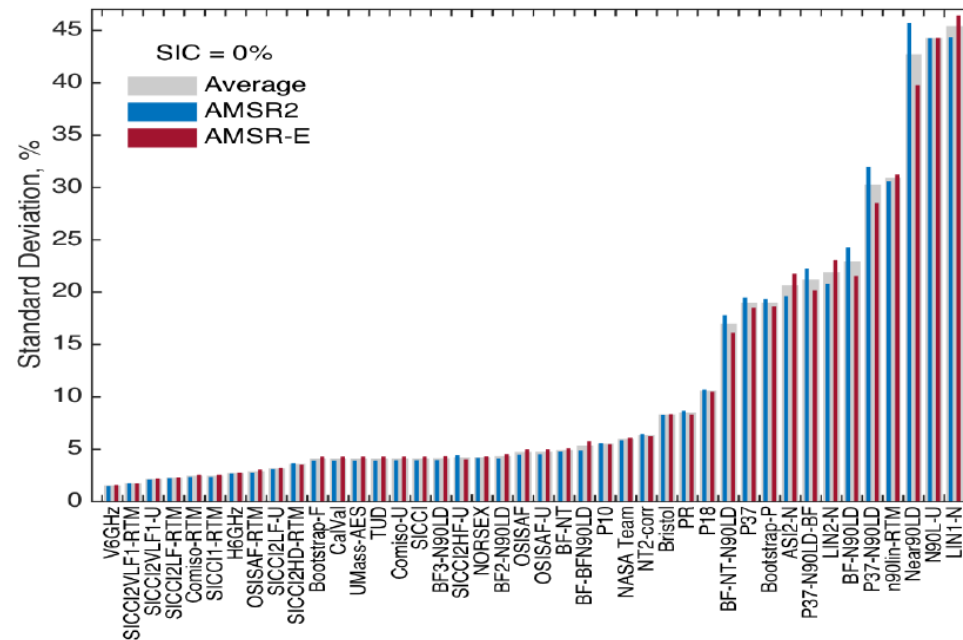
Better observations, better forecasts?

F. Massonnet

O. Bellprat, V. Guemas, F. J. Doblas-Reyes

A variety of sea ice concentration products,
a large variability in their quality

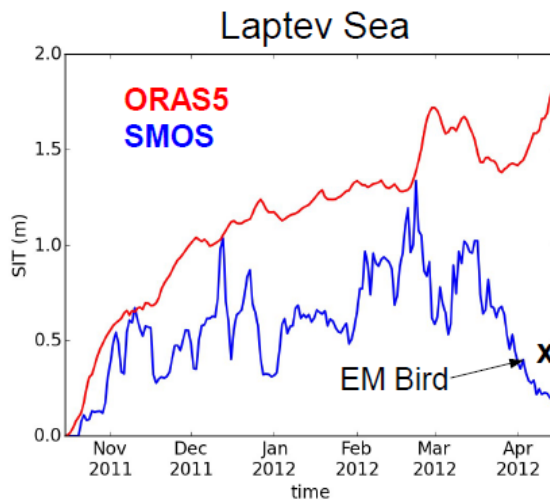
ICE CONCENTRATION ALGORITHM PERFORMANCE (SIC=0)



Courtesy L. T. Pedersen,
N. Ivanova and co-authors

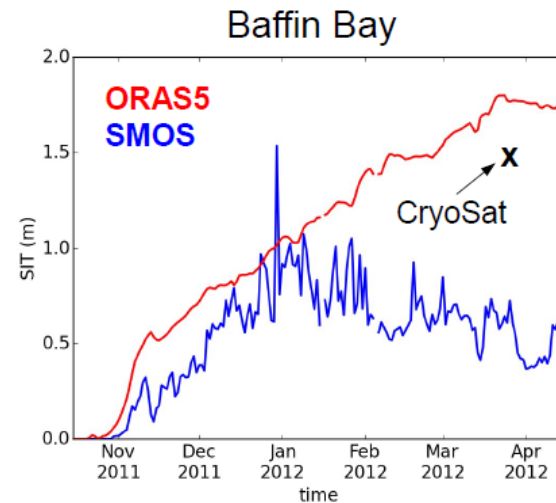
Models and observations: which one is the reference? The frontier can be (very) thin

Winter 2011/2 in two selected locations



Independent data supports SMOS.

→ Model cannot simulate Polynya

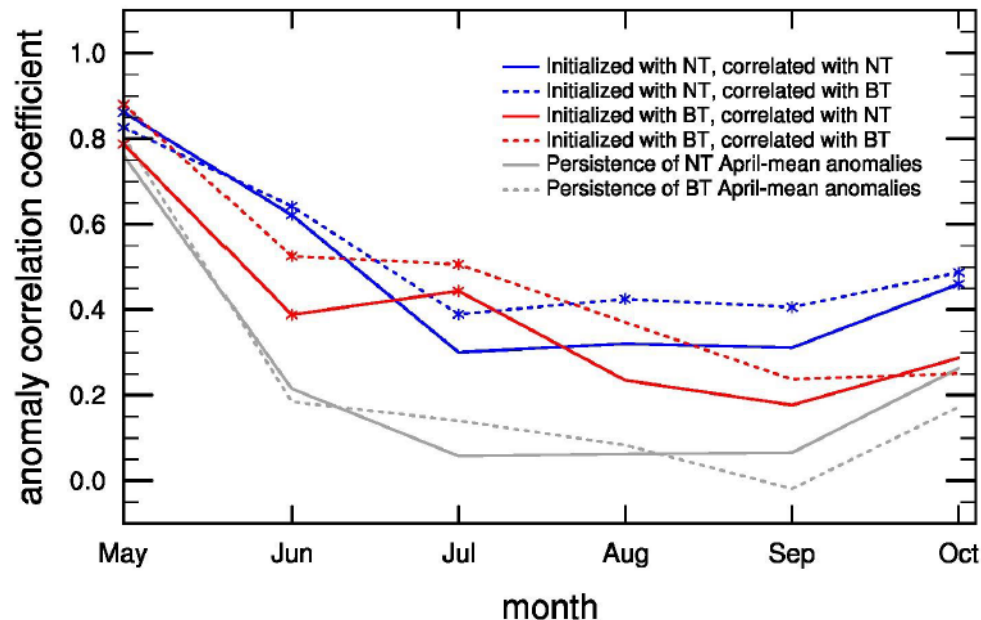


Independent data supports ORAS5.

→ SMOS assumptions on ice T, S, snow?
Both CryoSat + model wrong?

ACC for Arctic sea-ice area

ACC for Arctic sea ice area, May hindcasts, 1981-2011

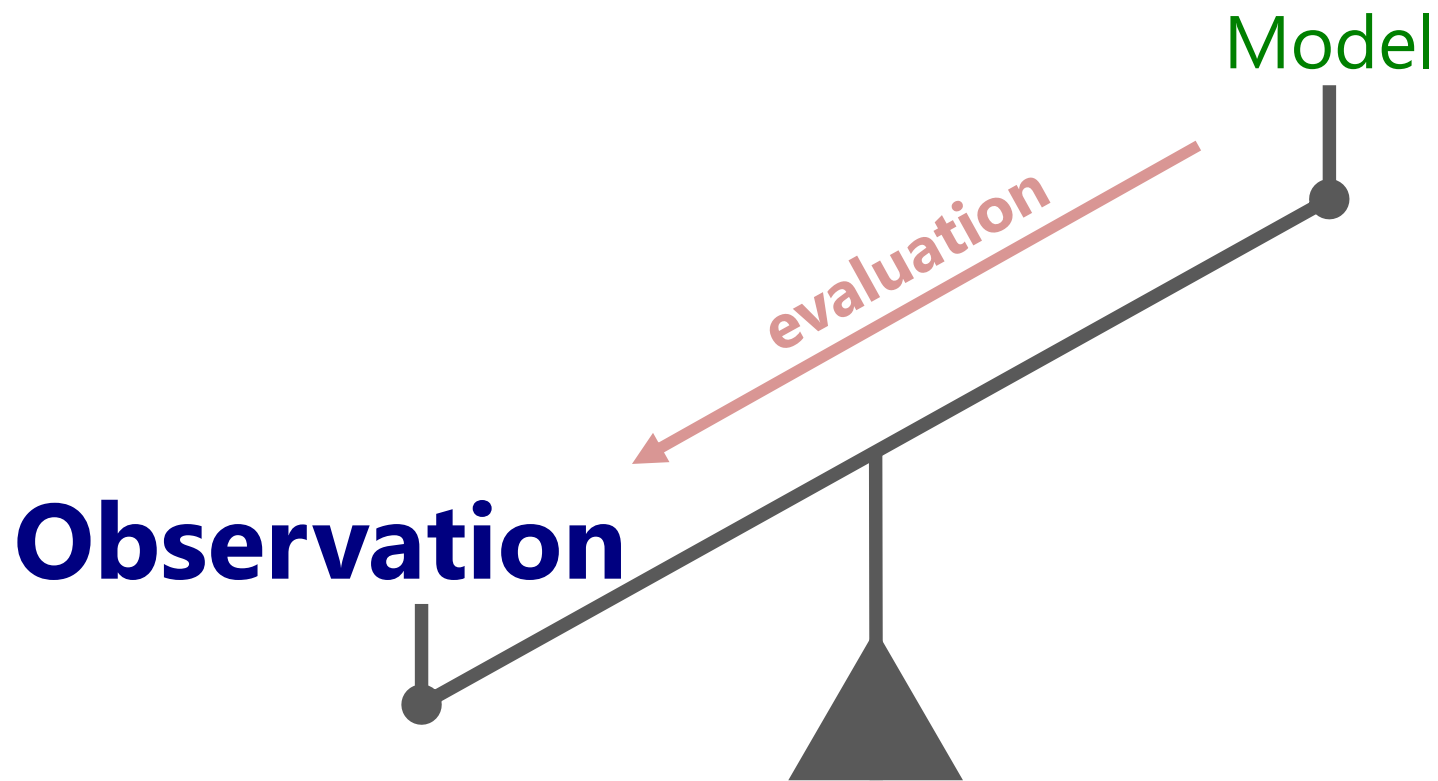


Initialization: Except for month 3 (July) NT initialization outperforms BT initialization

Reference: BT data produces larger ACC than NT data when used as reference



My understanding
in 2010



There is a strong need for good sea ice observational products

Sea ice cover controls ocean-atmosphere heat fluxes

SIC and SIT products are used to drive atmosphere-only climate models

Tracing back sea ice model biases is important to improve models

Budget analyses e.g., Holland et al., Nature Geosci., 2012.

Observations are key in prediction/projection/attribution studies

e.g., Notz and Marotzke, GRL, 2012; Massonnet et al., The Cryosph. 2012

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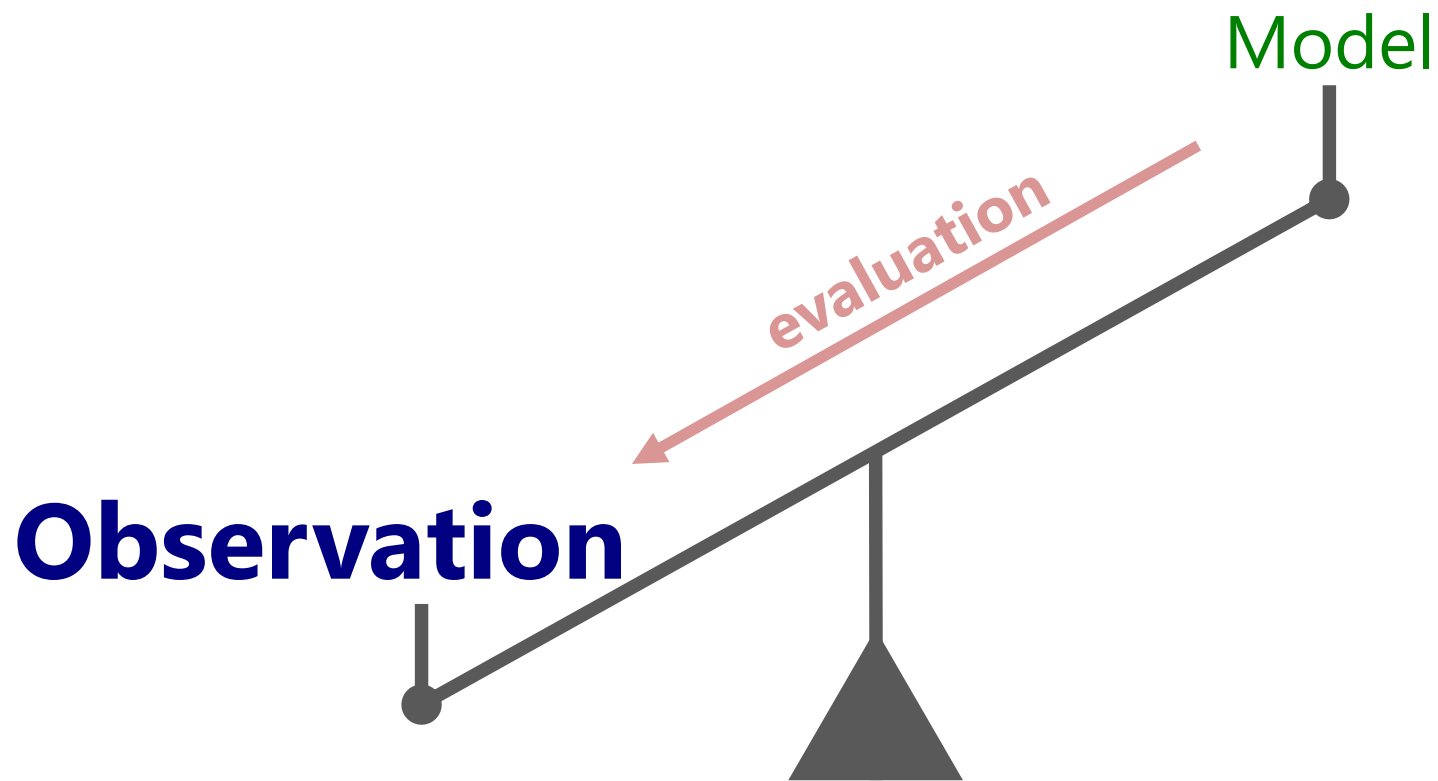
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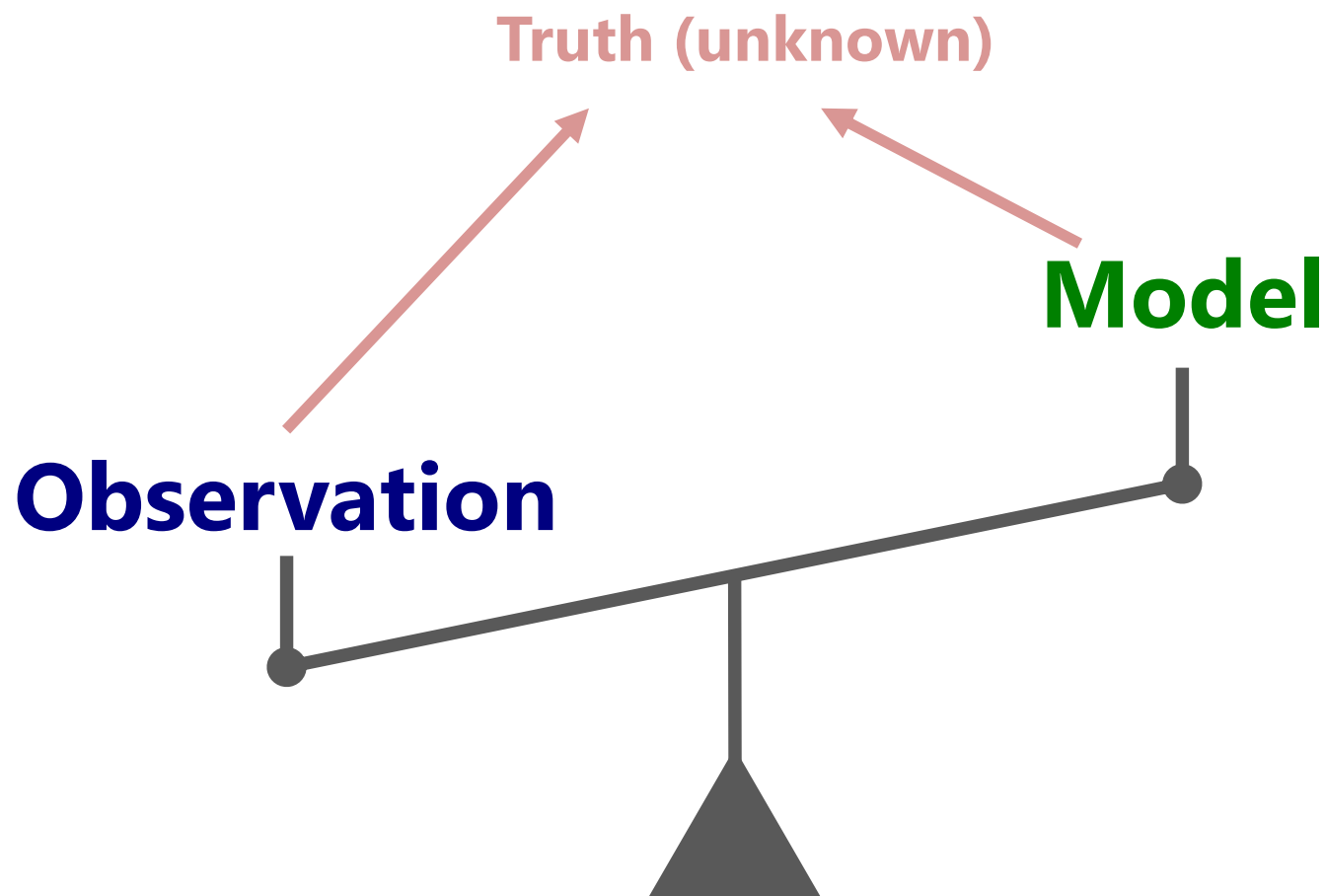
Sea ice observations are central for data assimilation

e.g., Massonnet et al., Oc. Modell., 2013

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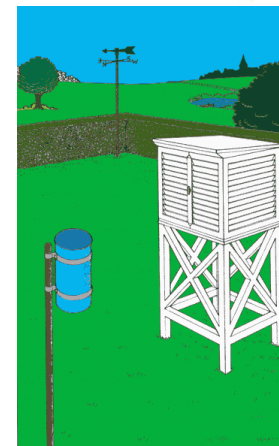
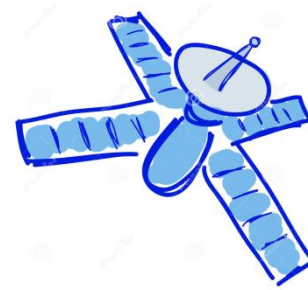
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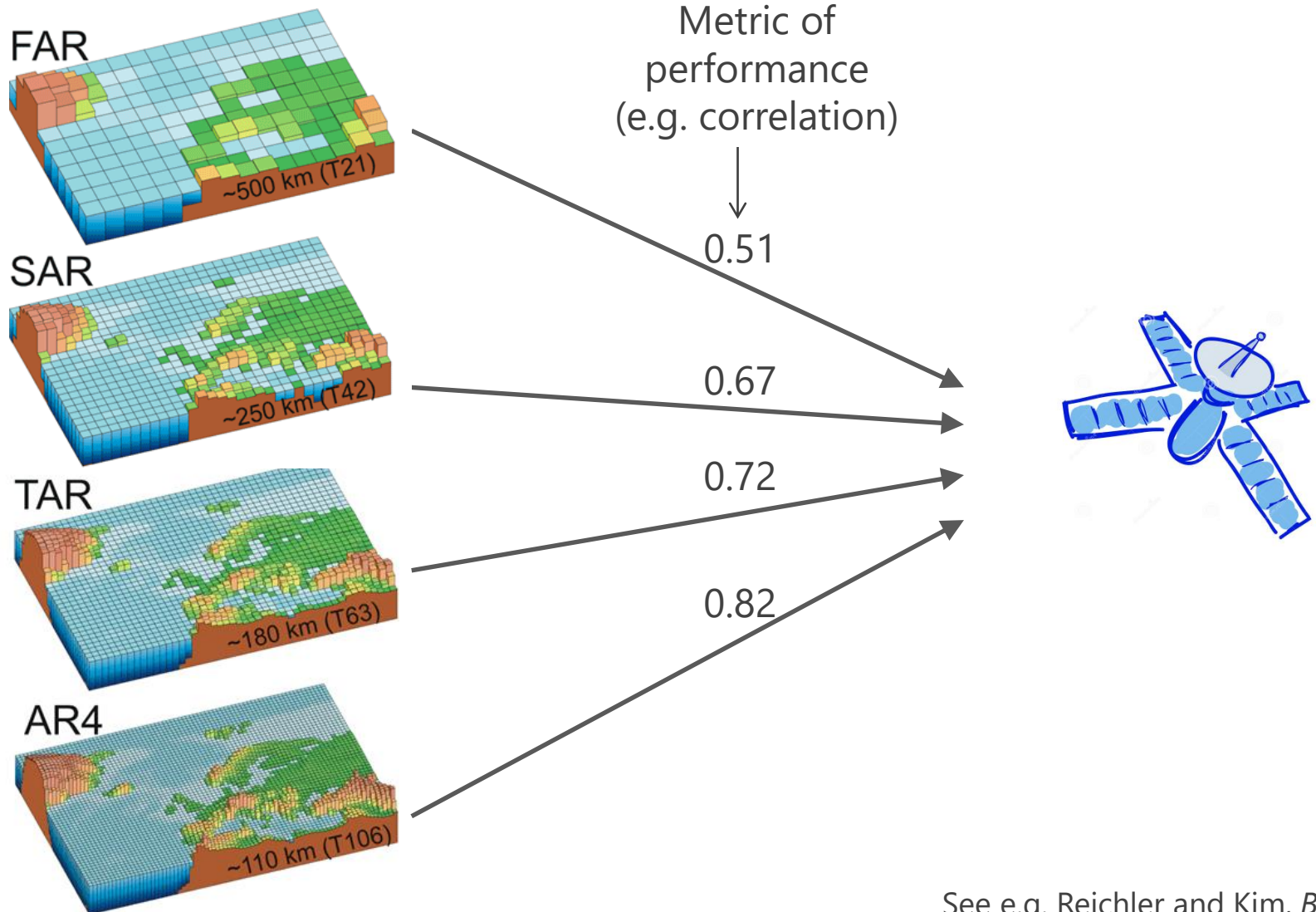
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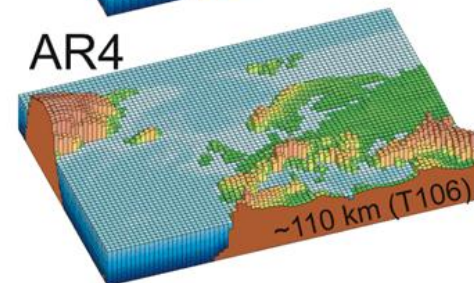
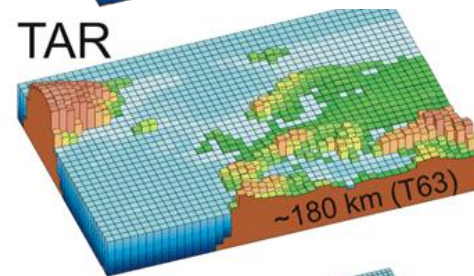
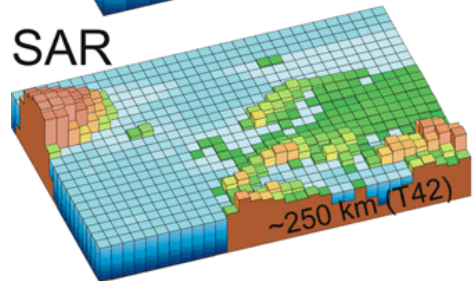
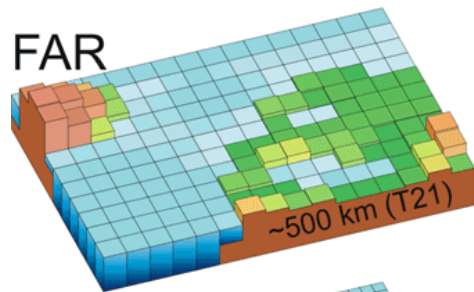
Sea ice observations are important for forecast verification
e.g., Sea Ice Prediction Network (SIPN) Sea Ice Outlook



The classical approach of evaluation: several models for one observation



Reversing the paradigm: several observations for one model

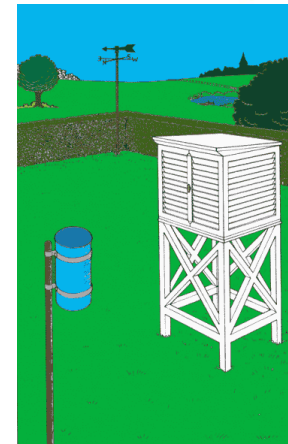
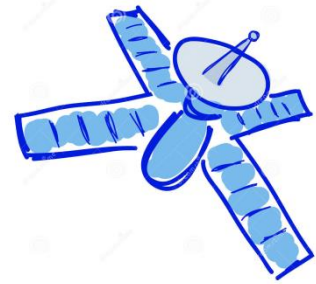
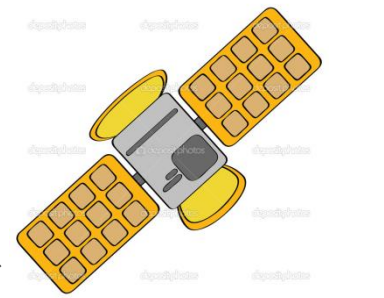


0.81

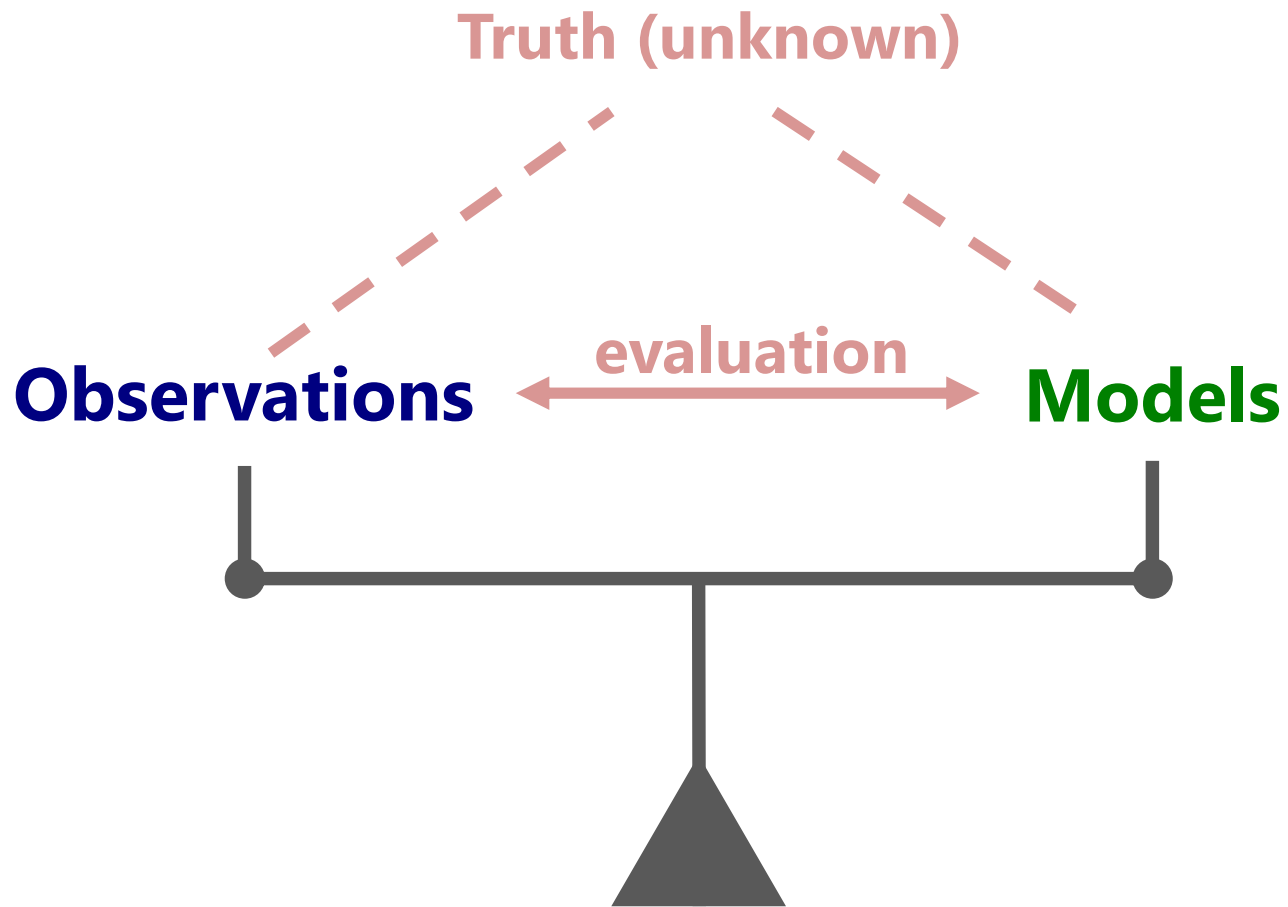
0.63

0.72

0.32



My understanding
today



« Better observations yield better
forecast verification scores »

1. Logic ► 2. Toy model ► 3. Climate models

« Better observations yield better
forecast verification scores »

1. Logic ▶ 2. Toy model ▶ 3. Climate models

If metrics of performance (e.g., correlation, RMSE) are appropriate tools to reflect the quality of a modelling/forecast system,

Reichler and Kim, *BAMS*, 2008 (CMIP3→CMIP5)

Scaife et al., *GRL*, 2014 (NAO; sampling)

Massonnet et al., *The Cryosph.*, 2012 (sea ice)

Msadek et al., *GRL*, 2014 (sea ice)

then, they can also reveal the underlying quality of an observational dataset.

This is because metrics of performance are symmetric from a mathematical point of view.

« Better observations yield better
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1. Logic ▶ 2. Toy model ▶ 3. Climate models

$$COR(A, B) = COR(B, A)$$

« Better observations yield better
forecast verification scores »

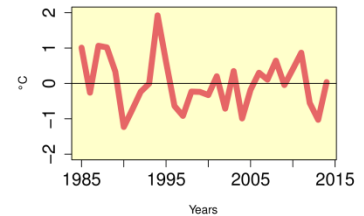
1. Logic ► **2. Toy model** ► 3. Climate models

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A signal-plus-noise toy model

TRUTH $X_t = \boxed{\epsilon}$ **Interannual
variability**

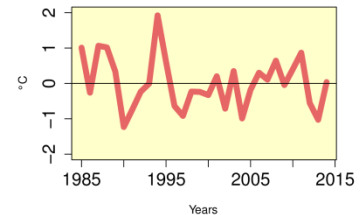
$$\epsilon \sim \mathcal{N}(0, \sigma_\epsilon)$$



A signal-plus-noise toy model

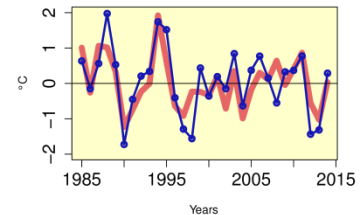
TRUTH $X_t = \boxed{\epsilon}$ **Interannual variability**

$$\epsilon \sim \mathcal{N}(0, \sigma_\epsilon)$$



OBS $X_o = \epsilon + \boxed{\eta_o}$ **Measurement and representativity error**

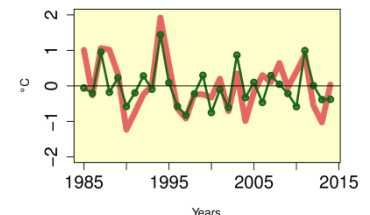
$$\eta_o \sim \mathcal{N}(0, \sigma_o)$$



MODEL $X_f = \alpha\epsilon + \boxed{\eta_f + \eta_m}$ **Model forecast error (physics, initial conditions, resolution) + irreducible error (atmosphere)**

$$\eta_f \sim \mathcal{N}(0, \sigma_f), \quad \eta_m \sim \mathcal{N}(0, \sigma_m)$$

All error terms are assumed to be uncorrelated



In this very simple paradigm, model and observational errors play interchangeable roles

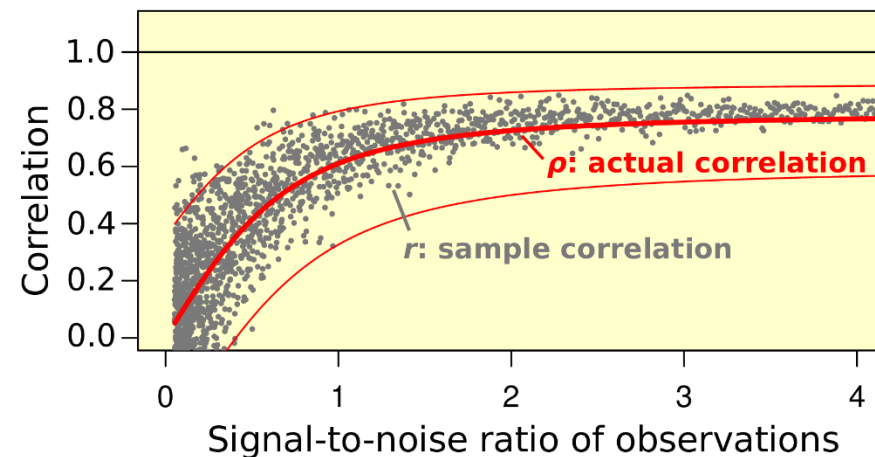
$$\rho(X_o, X_f) = \frac{1}{\sqrt{\left(1 + \frac{\sigma_o^2}{\sigma_\epsilon^2}\right) \cdot \left(1 + \frac{(\sigma_f^2 + \sigma_m^2)/\alpha^2}{\sigma_\epsilon^2}\right)}}$$

Correlation **increases** when

- Model explains more variability,
- Model error decreases,
- Climate signal is stronger,
- Observational error decreases.



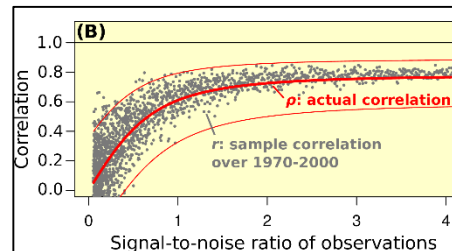
If error statistics are known, the dependence can be predicted



« Better observations yield better
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1. Logic ► **2. Toy model** ► 3. Climate models

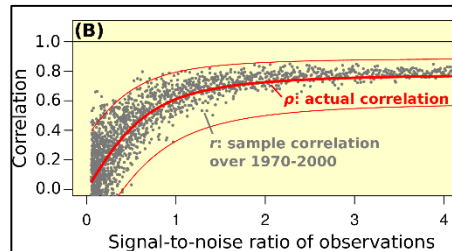
$$COR(A, B) = COR(B, A)$$



« Better observations yield better
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1. Logic ► 2. Toy model ► **3. Climate models**

$$COR(A, B) = COR(B, A)$$



Seasonal forecasts of summer Arctic sea ice extent

CanCM3/4, MPI-ESM-L/M/HR, CNRM, EC-EARTH (3 versions)

9 models

10 members



4-month forecasts initialized in May

360 forecasts (not independent from each other)

Period for evaluation: 1993-2008



ESA-CCI

OSI-SAF

HadISST

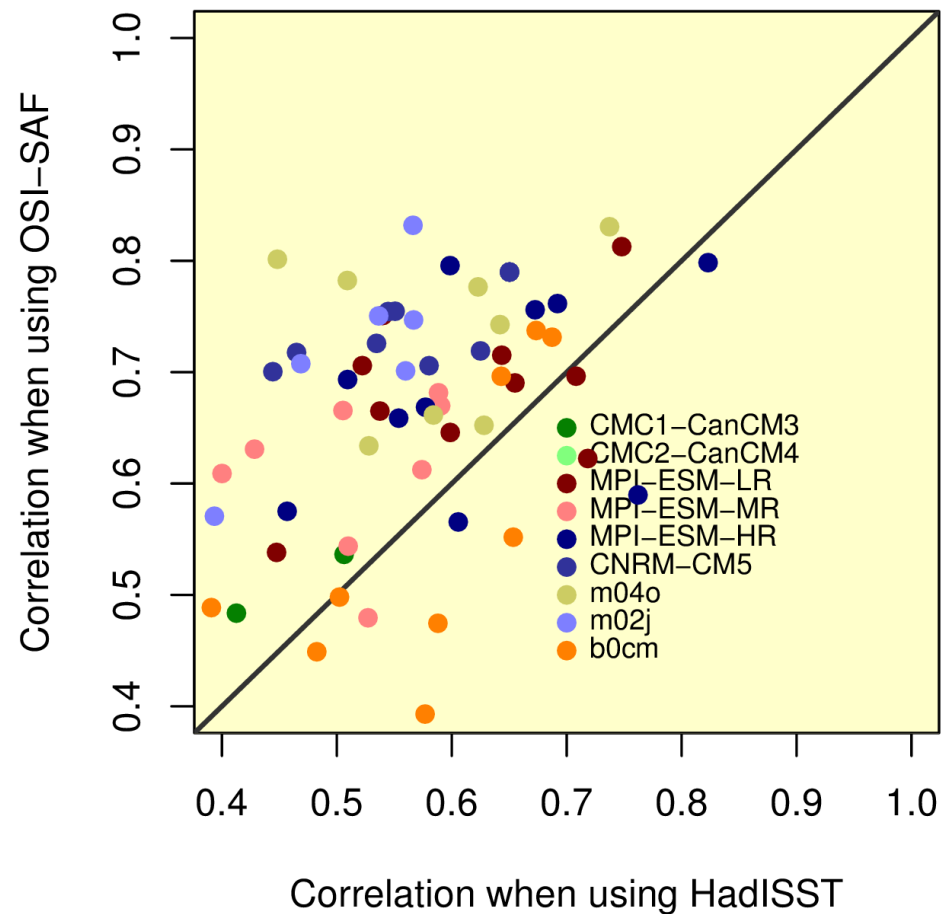
NSIDC



4 observational datasets for verification

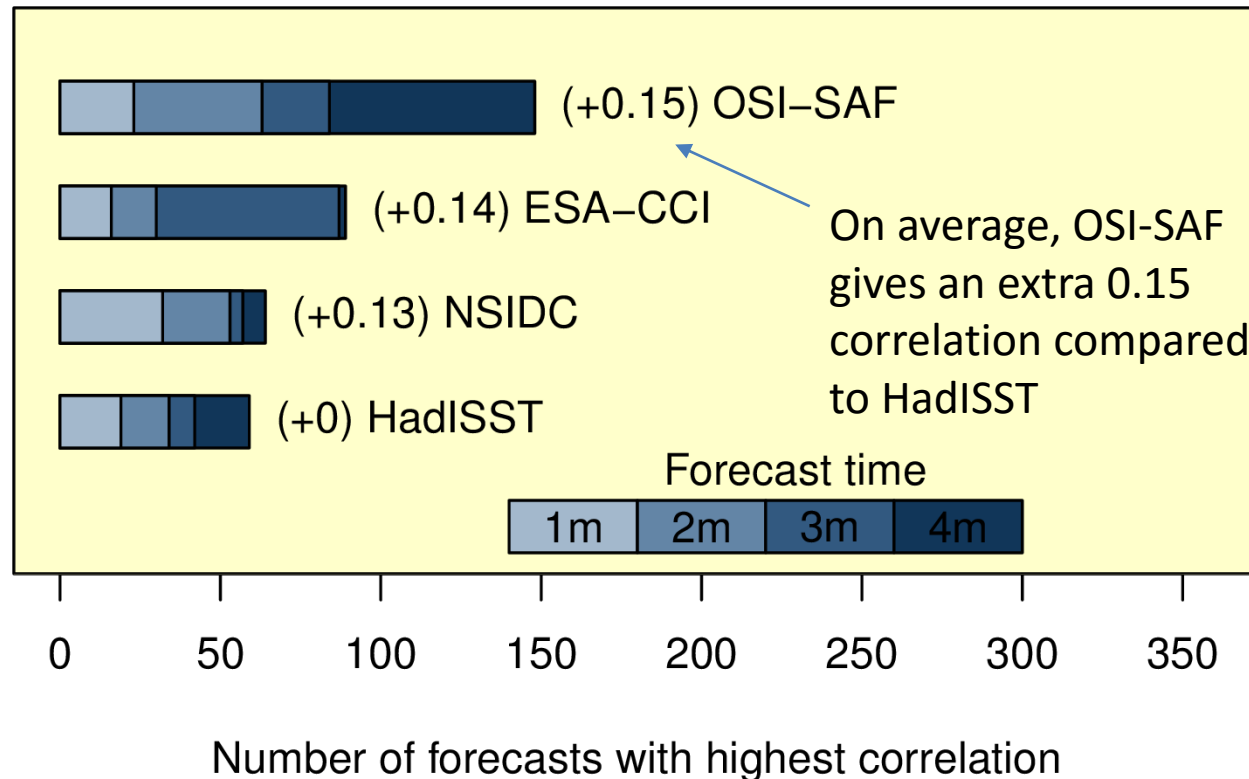
(not independent from each other either)

Correlations of summer Arctic sea ice extent from 90 forecasts



Systematic dependence of skill score on the choice of verification product

360 seasonal forecasts of summer Arctic sea ice extent



Such an extreme result is unlikely to have occurred by chance

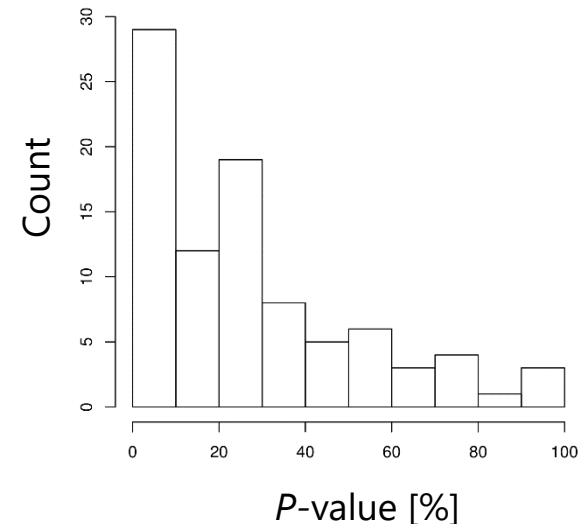
1. Bootstrapping

- Synthetic data is generated from the known sample covariance matrix of the data that we modify so that, for each forecast, correlations are set the same for all observations (our null hypothesis)
- With 10,000 trials, a result as extreme as the one we have happens **~0.2%** of the time

2. Parametric test

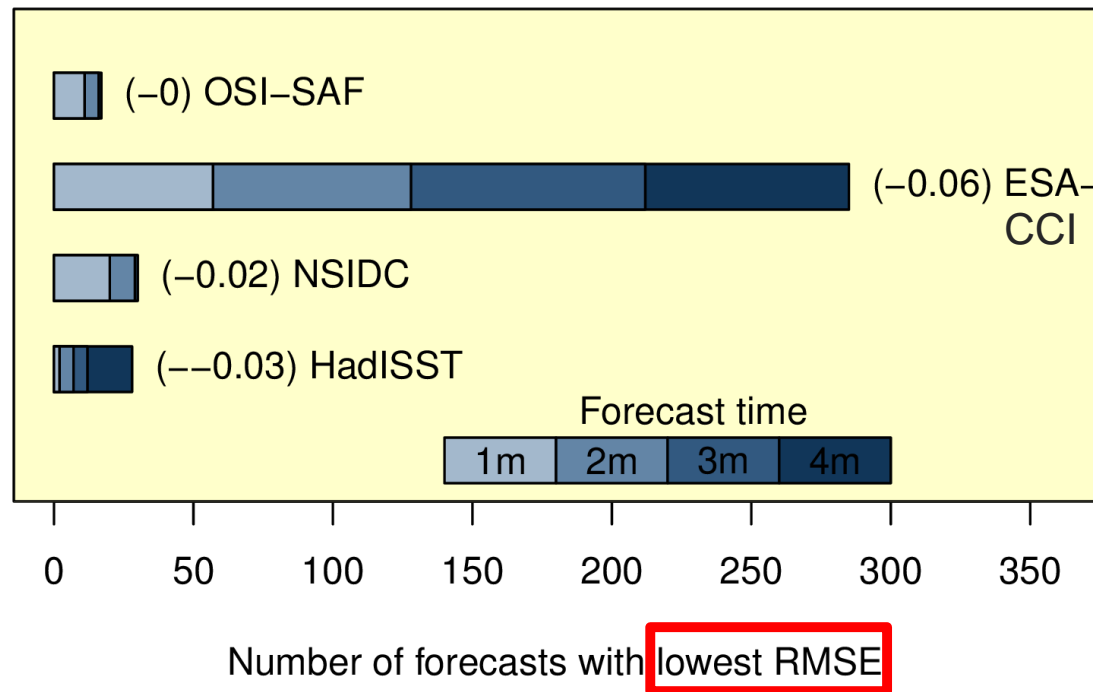
[Steiger et al., 1981]
(the test detects changes in correlation in presence of non-independent samples)

p-value of 110 Steiger tests to detect increase of correlation from HadISST (lowest) to OSI-SAF (highest)



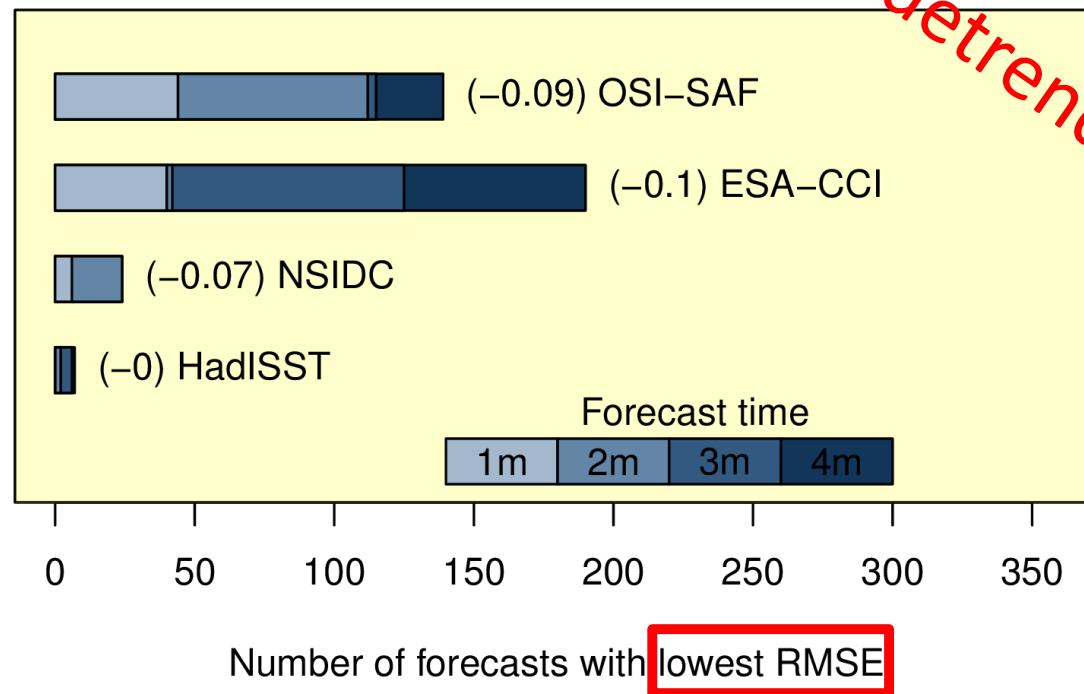
Systematic dependence of skill scores on verification product

360 seasonal forecasts of summer Arctic sea ice extent

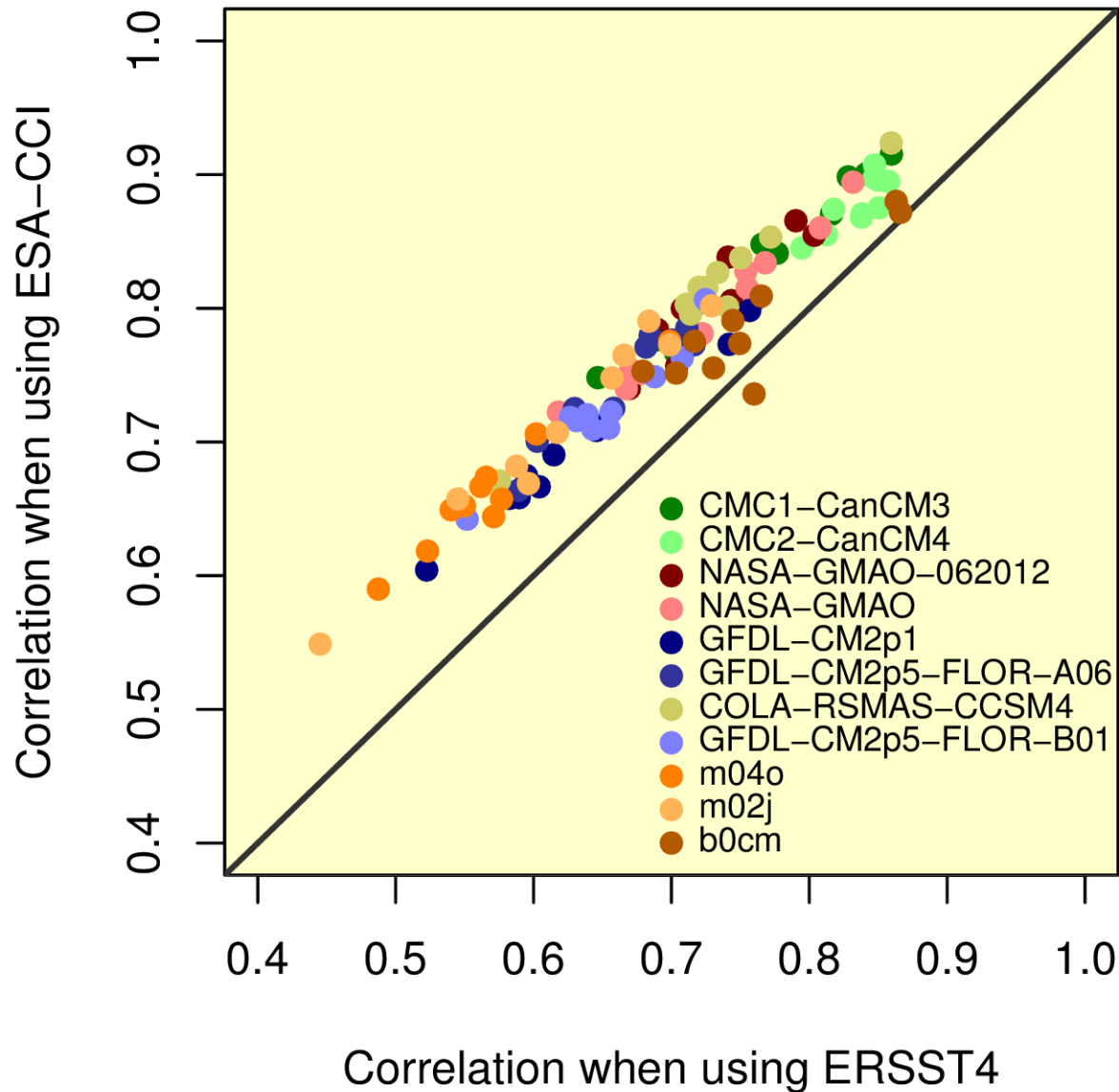


Systematic dependence of skill scores on verification product

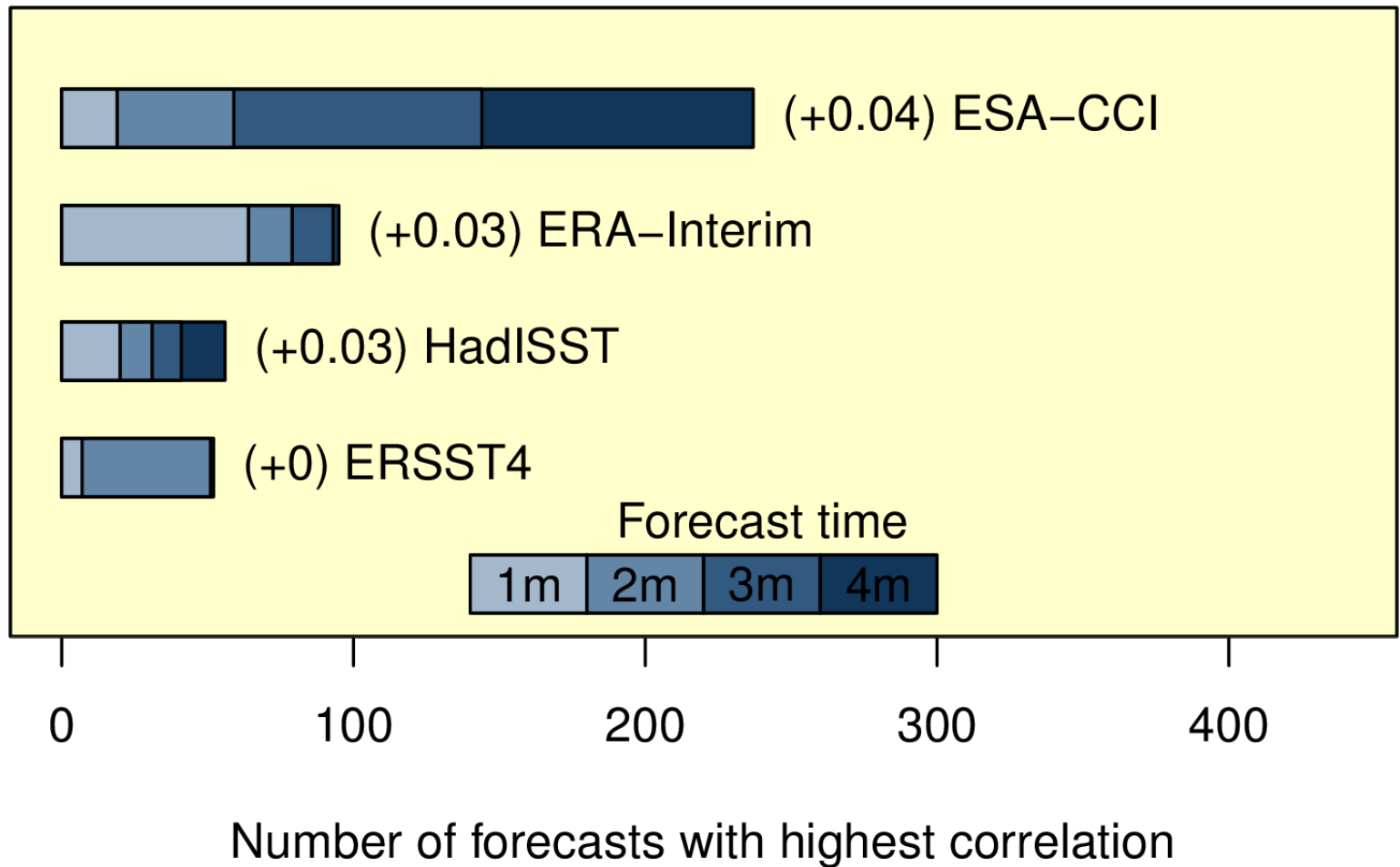
360 seasonal forecasts of summer Arctic sea ice extent



Correlations of Niño3.4 SST from 110 forecasts



440 seasonal forecasts of Niño3.4 SST



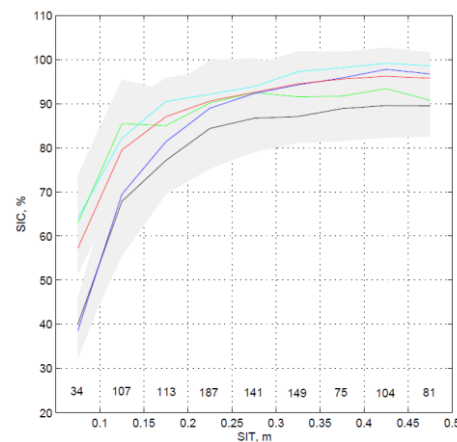
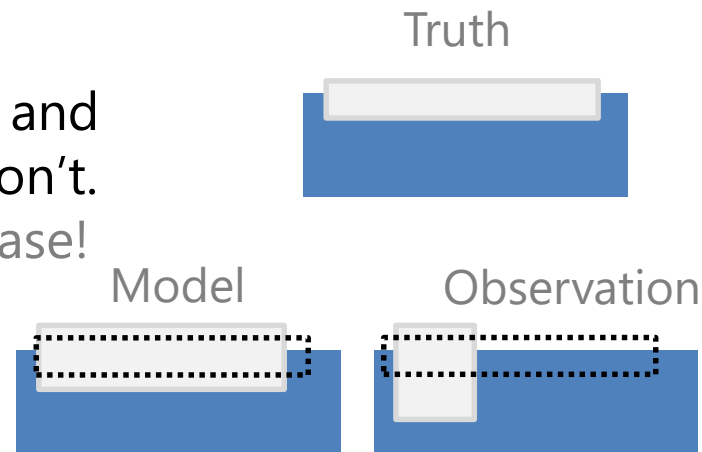
Why do models score better for the two most advanced and recent products?

Models simulate directly sea ice concentration and output it as a physical variable; observations don't. Models can be really good references in that case!

Observations have deficiencies that models don't have e.g. concentration of thin ice

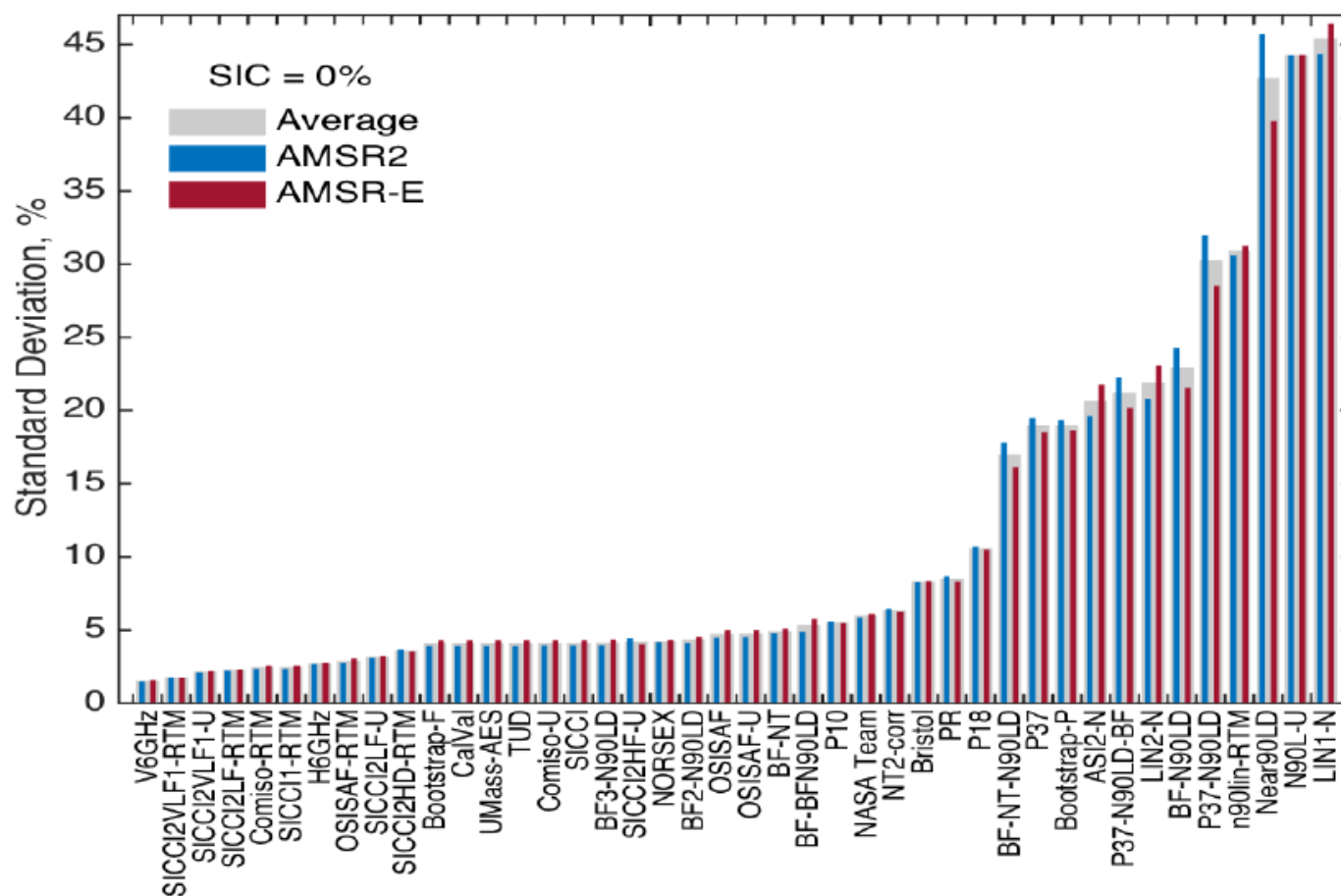
According to the toy model results, ESA-CCI and OSI-SAF should have lower errors (but only these two provide errors)

Note: remarkably, the models are also the most independent w.r.t. OSI-SAF and ESA-CCI



Sea ice concentration observational references	ESA-CCI	OSI-SAF	HadISST	NSIDC
Reference	Ivanova et al., 2015 (35)	Eastwood et al., 2015 (36)	Rayner et al., 2003 (33)	Fetterer and Knowles, 2004 (37)
Institution	European Space Agency	EUMETSAT	MetOffice (UK)	National Snow and Ice Data Center
Webpage	http://esa-cci.nersc.no/	http://osisaf.met.no/p/ice/ice_conc_reprocessed.html	http://www.metoffice.gov.uk/hadobs/hadisst/	https://nsidc.org/data/docs/noaa/g02135_seaice_index/
Period of product availability	1993-2008	1978-2015	1871-present	1978-present
Grid resolution	25 km x 25 km	10 km x 10 km	1.0°x1.0° (~110 km x 110 km near equator)	25 km x 25 km
Grid type	Equal-Area Scalable Earth	Polar Stereographic	Regular	Polar Stereographic
Primary product and technology on which the analysis is based	Passive microwave satellite data: SSM/I (1992-2008)	Passive microwave satellite data: SMMR and SSM/I-SSMIS.	Passive microwave satellite data: SMMR and SSM/I-SSMIS (1978-1996) + NCEP operational dataset (1997-present)	Passive microwave satellite data: SMMR and SSM/I-SSMIS.
Algorithm of processing	Same as OSI-SAF algorithm, but improved so that better performance is achieved over thin ice. Atmospheric filter was applied to brightness temperature directly, and not on the spectral gradient ratio as this latter approach was found to eliminate low ice concentrations.	Hybrid: Bootstrap and Bristol. Dynamical tie-points are used (calibration parameters are time-dependent). Weather filter was improved from NASA Team algorithm, as it was found that this correction tended to eliminate low ice concentrations.	NASA Team (see NSIDC column)	NASA Team: Static tie-points are used, but different datasets for Northern and Southern Hemispheres. Weather filter was used: SIC set to zero when the spectral gradient ratio (GR) is > 0.07
Other comments	Only ESA-CCI phase 1 products are considered. Phase 2 products will be developed jointly with EUMETSAT OSI-SAF.	Version 1.2 of the product was used, i.e. without input data from ESA. The next release of OSI-SAF reprocessed sea ice concentration will include results from the ESA-CCI research project	The HadISST product is updated with NCEP operational analyses from 1997 onwards.	We take as monthly sea ice extent the value already processed by NSIDC.

ICE CONCENTRATION ALGORITHM PERFORMANCE (SIC=0)

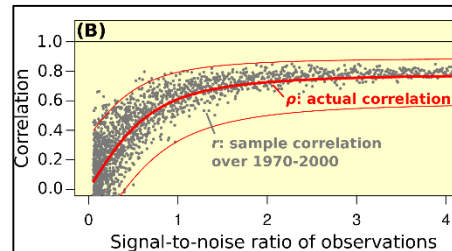


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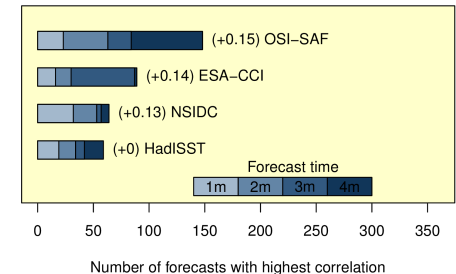
« Better observations yield better forecast verification scores »

1. Logic ► 2. Toy model ► **3. Climate models**

$$COR(A, B) = COR(B, A)$$



360 seasonal forecasts of summer Arctic sea ice extent



Conclusions & Outlooks

Summary | Using three types of arguments (intuitive reasoning, idealized model, real forecasts) we find evidence that better observations increase forecast skill as we estimate it routinely in the community of seasonal forecasting.

Interpretation | These results are best understood if observations and models are considered at the same level (i.e., observations are not superior to models). Observational errors will systematically lower actual forecast skill, in the same way that model errors systematically lower forecast skill.

Recommendations | Models should not always be blamed for low performance. Observations can do this job easily! This overlooked source of error can give differences as large as differences from one model version to another. Modellers should be careful in picking their observational product, or at least use several of them.

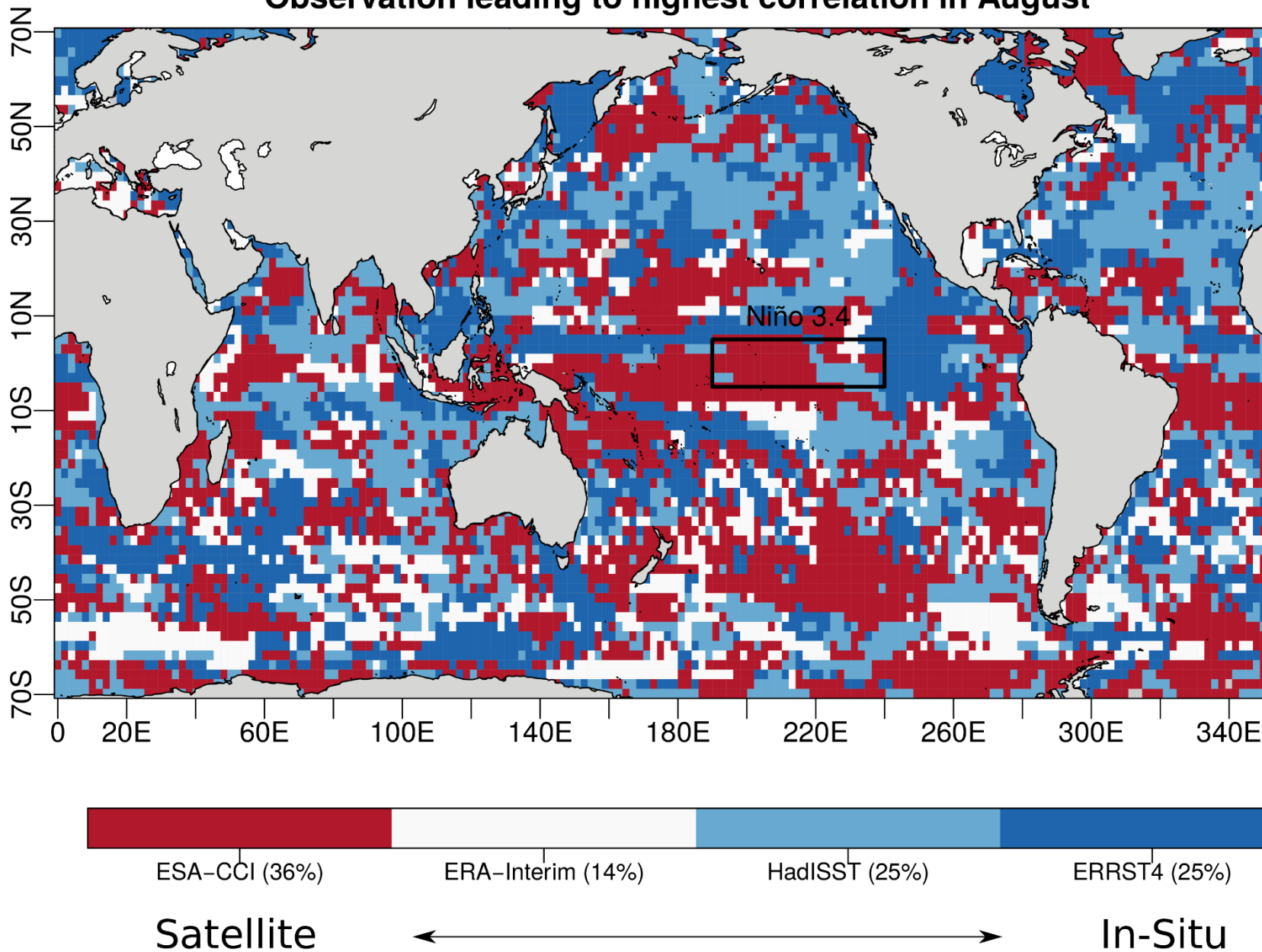
Outlooks | Quantifying observational error propagation over time-averaged periods, space-averaged domains, is key to introduce observational uncertainty in current metrics of performance. Yet these error statistics depend on many unknowns, such as decorrelation time- and space-scales between grid-point, daily error statistics.

Thank you!

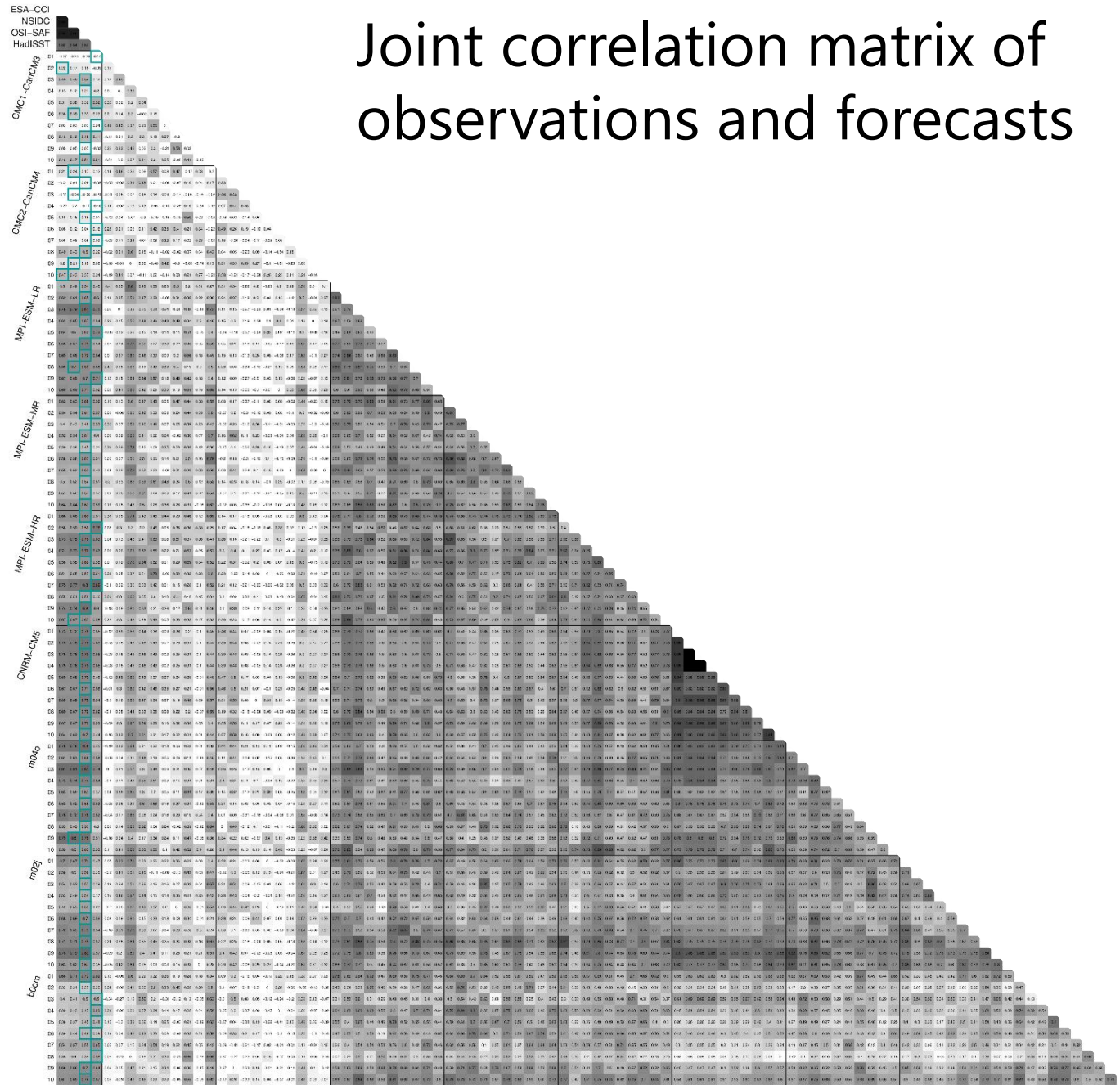
francois.massonnet@bsc.es



Observation leading to highest correlation in August



Joint correlation matrix of observations and forecasts



Correlation of
August sea ice
extent (1993-2008)

Original covariance matrix

	OBS 1	OBS 2	FORECAST 1	FORECAST 2	FORECAST 3
OBS 1	σ_{o1}^2				
OBS 2	$r_{o1,o2} \cdot s_{o1} \cdot s_{o2}$	σ_{o2}^2			
FORECAST 1	$r_{o1,f1} \cdot \sigma_{o1} \cdot \sigma_{f1}$	$r_{o2,f1} \cdot \sigma_{o2} \cdot \sigma_{f1}$	σ_{f1}^2		
FORECAST 2	$r_{o1,f2} \cdot \sigma_{o1} \cdot \sigma_{f2}$	$r_{o2,f2} \cdot \sigma_{o2} \cdot \sigma_{f2}$	$r_{f1,f2} \cdot \sigma_{f1} \cdot \sigma_{f2}$	σ_{f2}^2	
FORECAST 3	$r_{o1,f3} \cdot \sigma_{o1} \cdot \sigma_{f3}$	$r_{o2,f3} \cdot \sigma_{o2} \cdot \sigma_{f3}$	$r_{f1,f3} \cdot \sigma_{f1} \cdot \sigma_{f3}$	$r_{f2,f3} \cdot \sigma_{f2} \cdot \sigma_{f3}$	σ_{f3}^2

Modified covariance matrix

	OBS 1	OBS 2	FORECAST 1	FORECAST 2	FORECAST 3
OBS 1	σ_{o1}^2				
OBS 2	$r_{o1,o2} \cdot \sigma_{o1} \cdot \sigma_{o2}$	σ_{o2}^2			
FORECAST 1	$r_1 \cdot \sigma_{o1} \cdot \sigma_{f1}$	$r_1 \cdot \sigma_{o2} \cdot \sigma_{f1}$	σ_{f1}^2		
FORECAST 2	$r_2 \cdot \sigma_{o1} \cdot \sigma_{f2}$	$r_2 \cdot \sigma_{o2} \cdot \sigma_{f2}$	$r_{f1,f2} \cdot \sigma_{f1} \cdot \sigma_{f2}$	σ_{f2}^2	
FORECAST 3	$r_3 \cdot \sigma_{o1} \cdot \sigma_{f3}$	$r_3 \cdot \sigma_{o2} \cdot \sigma_{f3}$	$r_{f1,f3} \cdot \sigma_{f1} \cdot \sigma_{f3}$	$r_{f2,f3} \cdot \sigma_{f2} \cdot \sigma_{f3}$	σ_{f3}^2